



#1: [CaseMode:=Sensitive,InputMode:=Word,DisplayFormat:=Compressed,TimesOperator:=Implicit]

Ejercicio solamente para seguir una traza del procedimiento de análisis matricial tridimensional

Utilizando un vector y local auxiliar en cualquier dirección (no recomendado en este caso):

#2: $y_{porbis} = [1, 1, 1]$

Elemento 1:

#3: $x_{local} = [0, 0, 1]$

#4:
$$z_{local} = \frac{\text{CROSS}(x_{local}, y_{porbis})}{\sqrt{(\text{CROSS}(x_{local}, y_{porbis})^2)}}$$

#5:
$$z_{local} = \frac{[-1, 1, 0]}{\sqrt{((-1, 1, 0)^2)}}$$

#6:
$$z_{local} = \frac{[-1, 1, 0]}{\sqrt{((-1, 1, 0)^2)}}$$

#7:
$$z_{local} = \frac{[-1, 1, 0]}{\sqrt{2}}$$

#8:
$$z_{local} = \left[-\frac{\sqrt{2}}{2}, \frac{\sqrt{2}}{2}, 0 \right]$$

#9:
$$z_{local} = [-0.7071067811, 0.7071067811, 0]$$

#10: $y_{local} = \text{CROSS}(z_{local}, x_{local})$

#11:
$$y_{local} = \left[\frac{\sqrt{2}}{2}, \frac{\sqrt{2}}{2}, 0 \right]$$

#12:
$$y_{local} = [0.7071067811, 0.7071067811, 0]$$

Elemento 2:#13: $x_local := [1, 0, 0]$ #14:
$$z_local := \frac{[0, -1, 1]}{\sqrt{(CROSS(x_local, y_porbis))^2}}$$
#15:
$$z_local := \left[0, -\frac{\sqrt{2}}{2}, \frac{\sqrt{2}}{2} \right]$$
#16: $z_local := [0, -0.7071067811, 0.7071067811]$ #17: $y_local := [0, 0.7071067811, 0.7071067811]$ #18:
$$y_local := \left[0, \frac{\sqrt{2}}{2}, \frac{\sqrt{2}}{2} \right]$$
Elemento 3:#19: $x_local := [0, 1, 0]$ #20:
$$z_local := \frac{[1, 0, -1]}{\sqrt{(CROSS(x_local, y_porbis))^2}}$$
#21: $z_local := [0.7071067811, 0, -0.7071067811]$ #22:
$$z_local := \left[\frac{\sqrt{2}}{2}, 0, -\frac{\sqrt{2}}{2} \right]$$
#23: $y_local := [0.7071067811, 0, 0.7071067811]$ #24:
$$y_local := \left[\frac{\sqrt{2}}{2}, 0, \frac{\sqrt{2}}{2} \right]$$