

#1: [CaseMode := Sensitive, InputMode := Word]

#2:
$$\left[W := 5, P := 10, R_a :=, R_b :=, I_1 := \frac{1}{12} \cdot 0.1 \cdot 0.15^3, I_2 := 0.7 \cdot I_1, E := 2 \cdot 10^7 \right]$$

#3:
$$\left[\begin{array}{l} M_{Fab}(x) := M_{Fbc}(x) := M_{Fcd}(x) := \\ v_{ab}(x) := v_{bc}(x) := v_{cd}(x) := \end{array} \right]$$

Equilibrio:

#4:
$$\left[\begin{array}{l} R_a + R_c - W \cdot 6 - P = 0 \\ -W \cdot 6 \cdot 3 - 10 \cdot 2 + R_c \cdot 4 = 0 \end{array} \right]$$

#5:
$$\left[R_a := \frac{25}{2}, R_c := \frac{55}{2} \right]$$

#6:
$$[R_a = 12.5 \wedge R_c = 27.5]$$

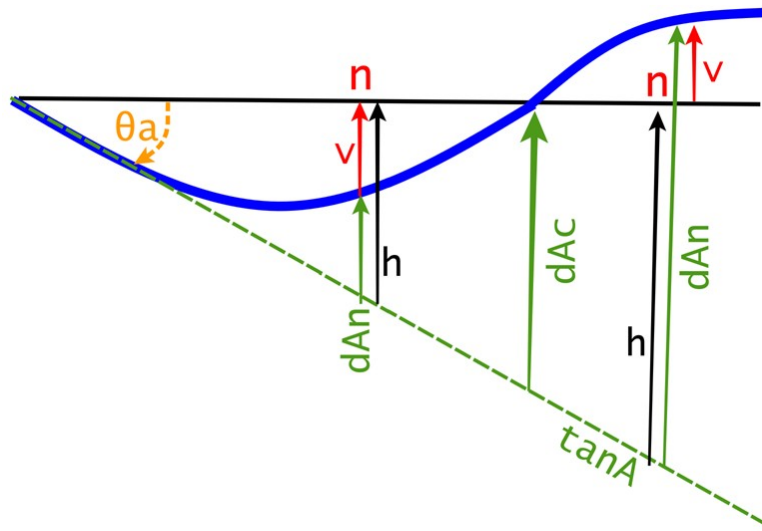
Diagrama de momento flector:

#7:
$$\left[\begin{array}{l} M_{Fab}(x) := R_a \cdot x - \frac{W \cdot x^2}{2} \\ M_{Fbc}(x) := R_a \cdot x - \frac{W \cdot x^2}{2} - P \cdot (x - 2) \\ M_{Fcd}(x) := R_a \cdot x - \frac{W \cdot x^2}{2} - P \cdot (x - 2) + R_c \cdot (x - 4) \end{array} \right]$$

#8:

$$\left[\begin{array}{l} M_{Fab}(x) := \frac{25 \cdot x}{2} - \frac{5 \cdot x^2}{2} \\ M_{Fbc}(x) := -\frac{5 \cdot x^2}{2} + \frac{5 \cdot x}{2} + 20 \\ M_{Fcd}(x) := -\frac{5 \cdot x^2}{2} + 30 \cdot x - 90 \end{array} \right]$$

Curva elástica estimada:



$$\#9: \quad dAC = \frac{1}{E} \cdot \left(\int_0^2 \frac{M_{Fab}(x) \cdot (4 - x)}{I1} dx + \int_2^4 \frac{M_{Fbc}(x) \cdot (4 - x)}{I2} dx \right)$$

$$\#10: \quad dAC = 0.1312169312$$

$$\#11: \quad dAC = \frac{124}{945}$$

$$\#12: \quad \frac{dAC}{4} = \frac{h}{n}$$

$$\#13: \quad h = \frac{31 \cdot n}{945}$$

Tramo de $[0 \leq x \leq 2]$:

$$\#14: \quad dA_{n_{ab}} = \frac{1}{E} \cdot \int_0^n \frac{MF_{ab}(x) \cdot (n - x)}{I_1} dx$$

$$\#15: \quad dA_{n_{ab}} = \frac{n^3 \cdot (10 - n)}{2700}$$

$$\#16: \quad v_{ab}(x) := - (h - dA_{n_{ab}})$$

$$\#17: \quad v_{ab}(x) := - \left(\frac{31 \cdot n}{945} - \frac{n^3 \cdot (10 - n)}{2700} \right)$$

$$\#18: \quad v_{ab}(x) := - \frac{31 \cdot x}{945} + \frac{x^3 \cdot (10 - x)}{2700}$$

$$\#19: \quad v_{ab}(x) := - \frac{x^4}{2700} + \frac{x^3}{270} - \frac{31 \cdot x}{945}$$

Tramo de $[2 \leq x \leq 4]$:

$$\#20: \quad dA_{n_{bc}} = \frac{1}{E} \cdot \left(\int_0^2 \frac{MF_{ab}(x) \cdot (n - x)}{I_1} dx + \int_2^n \frac{MF_{bc}(x) \cdot (n - x)}{I_2} dx \right)$$

$$\#21: \quad dA_{n_{bc}} = - \frac{5 \cdot n^4 - 10 \cdot n^3 - 240 \cdot n^2 + 612 \cdot n - 488}{9450}$$

$$\#22: \quad v_{bc}(x) := - (h - dA_{n_{bc}})$$

$$\#23: \quad v_{bc}(x) := - \left(\frac{31 \cdot n}{945} - \frac{5 \cdot n^4 - 10 \cdot n^3 - 240 \cdot n^2 + 612 \cdot n - 488}{9450} \right)$$

$$\#24: \quad v_{bc}(x) := - \left(\frac{31 \cdot x}{945} - \frac{5 \cdot x^4 - 10 \cdot x^3 - 240 \cdot x^2 + 612 \cdot x - 488}{9450} \right)$$

$$\#25: \quad vbc(x) := -\frac{x^4}{1890} + \frac{x^3}{945} + \frac{8 \cdot x^2}{315} - \frac{461 \cdot x}{4725} + \frac{244}{4725}$$

Tramo de $[4 \leq x \leq 6]$:

$$\#26: \quad dAn_{cd} = \frac{1}{E} \cdot \left(\int_0^2 \frac{MFab(x) \cdot (n - x)}{I1} dx + \int_2^4 \frac{MFbc(x) \cdot (n - x)}{I2} dx + \int_4^n \frac{MFcd(x) \cdot (n - x)}{I2} dx \right)$$

$$\#27: \quad dAn_{cd} = -\frac{5 \cdot n^4 - 120 \cdot n^3 + 1080 \cdot n^2 - 4668 \cdot n + 6552}{9450}$$

$$\#28: \quad vcd(x) := dAn_{cd} - h$$

$$\#29: \quad vcd(x) := -\frac{5 \cdot n^4 - 120 \cdot n^3 + 1080 \cdot n^2 - 4668 \cdot n + 6552}{9450} - \frac{31 \cdot n}{945}$$

$$\#30: \quad vcd(x) := -\frac{5 \cdot x^4 - 120 \cdot x^3 + 1080 \cdot x^2 - 4668 \cdot x + 6552}{9450} - \frac{31 \cdot x}{945}$$

$$\#31: \quad vcd(x) := -\frac{5 \cdot x^4 - 120 \cdot x^3 + 1080 \cdot x^2 - 4358 \cdot x + 6552}{9450}$$

Gráfico de la curva elástica calculada:

