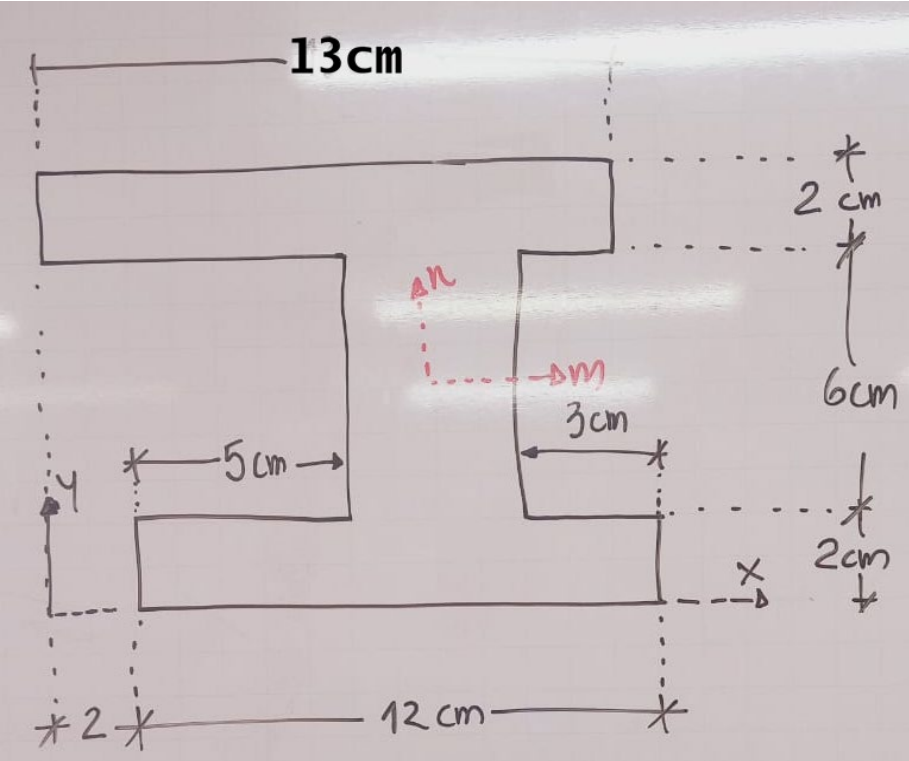
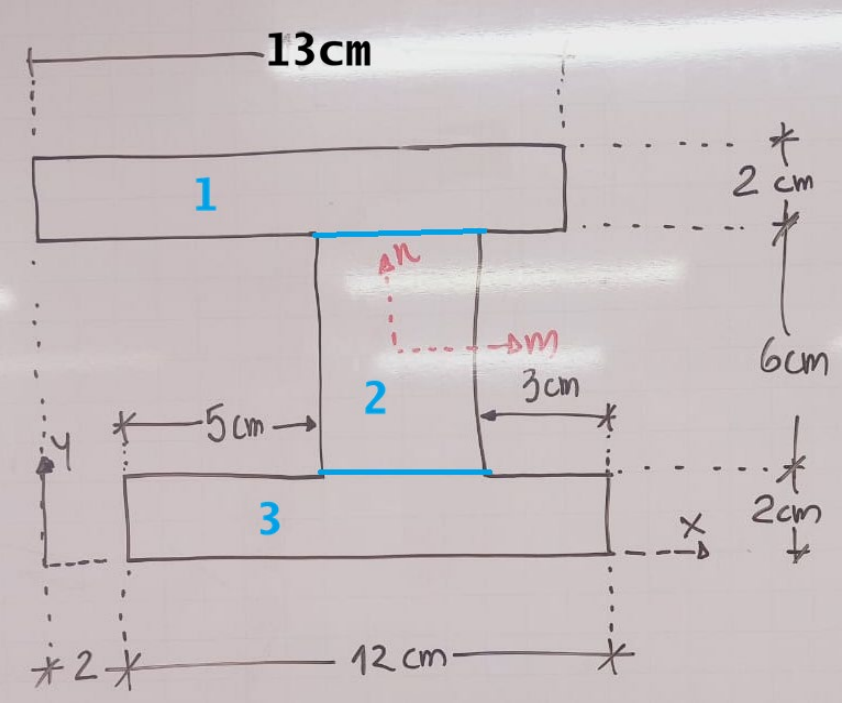




División en subáreas:



#2: [Xcg := 7.797297297, Ycg := 5.108108108]

Inercia respecto al centroide general:

#3:
$$Imn1 := \int_{-Xcg}^{-Xcg + 13} \int_{8 - Ycg}^{8 - Ycg + 2} x \cdot y \, dy \, dx$$

#4: Imn1 := -131.2724616

#5:
$$Imn2 := \int_{7 - Xcg}^{7 - Xcg + 4} \int_{2 - Ycg}^{2 - Ycg + 6} x \cdot y \, dy \, dx$$

#6: Imn2 := -3.120525931

#7:
$$Imn3 := \int_{2 - Xcg}^{2 - Xcg + 12} \int_{-Ycg}^{-Ycg + 2} x \cdot y \, dy \, dx$$

#8: Imn3 := -19.98539079

Subárea #	Lx (cm)	Ly (cm)	A (cm2)	Centroide		A*Xcg (cm3)	A*Ycg (cm3)	Inercias centroidales individuales			Inercia respecto al centroide general			Inercias respecto a los ejes X e Y		
				Xcg (cm) individual	Ycg (cm) individual			Ix cg (cm4)	Iy cg (cm4)	I XcgYcg individual (cm4)	Im respecto al cg total (cm4)	In respecto al cg total (cm4)	I.mn cg total (cm4)	Ix	Iy	Ixy
1	13.00	2.00	26.00	6.50	9.00	169.00	234.00	8.67	366.17	0.00	402.48	409.92	-131.27	2 114.67	1 464.67	1 521.00
2	4.00	6.00	24.00	9.00	5.00	216.00	120.00	72.00	32.00	0.00	72.28	66.72	-3.12	672.00	1 976.00	1 080.00
3	12.00	2.00	24.00	8.00	1.00	192.00	24.00	8.00	288.00	0.00	413.04	288.99	-19.99	32.00	1 824.00	192.00
Toda la figura:			74.00	7.797	5.108	577.00	378.00				888	766	-154	2 819	5 265	2 793
Por sumatoria Σ:														2 819	5 265	2 793

$$\left[\begin{array}{l} I_{MaxMin} = \frac{I_x + I_y}{2} \pm \sqrt{\left(\frac{I_x - I_y}{2}\right)^2 + I_{xy}^2} \\ I_{xypypMaxMin} = \pm \sqrt{\left(\frac{I_x - I_y}{2}\right)^2 + I_{xy}^2} \end{array} \right]$$

$$TAN(2 \cdot \theta_{mx}) = \frac{2 \cdot I_{xy}}{I_y - I_x}$$

Toda la figura:

Inercias principales por rotación de ejes centroidales (cm4):	
I _{max} :	992.74
I _{min} :	660.69
θ MáxMín (rad):	0.5970
θ MáxMín (grados):	34.2056
I _m rotada:	992.74
I _n rotada:	660.69

$$\left[\begin{array}{l} I_{xp} = \frac{I_x - I_y}{2} \cdot \cos(2 \cdot \theta) - I_{xy} \cdot \sin(2 \cdot \theta) + \frac{I_x + I_y}{2} \\ I_{yp} = \frac{I_y - I_x}{2} \cdot \cos(2 \cdot \theta) + I_{xy} \cdot \sin(2 \cdot \theta) + \frac{I_x + I_y}{2} \\ I_{xypyp} = I_{xy} \cdot \cos(2 \cdot \theta) + \frac{I_x - I_y}{2} \cdot \sin(2 \cdot \theta) \end{array} \right]$$