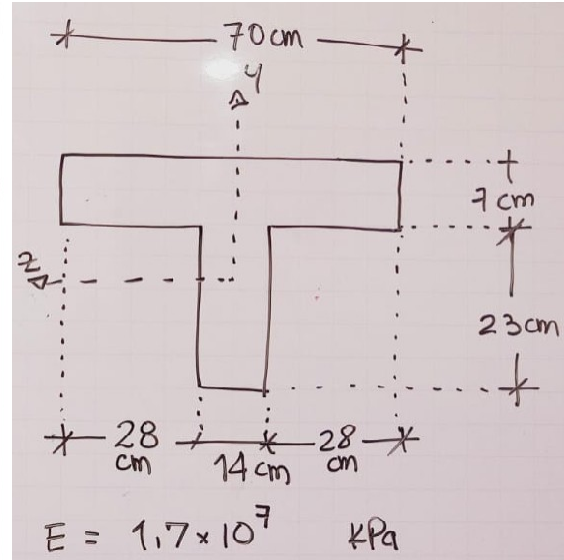
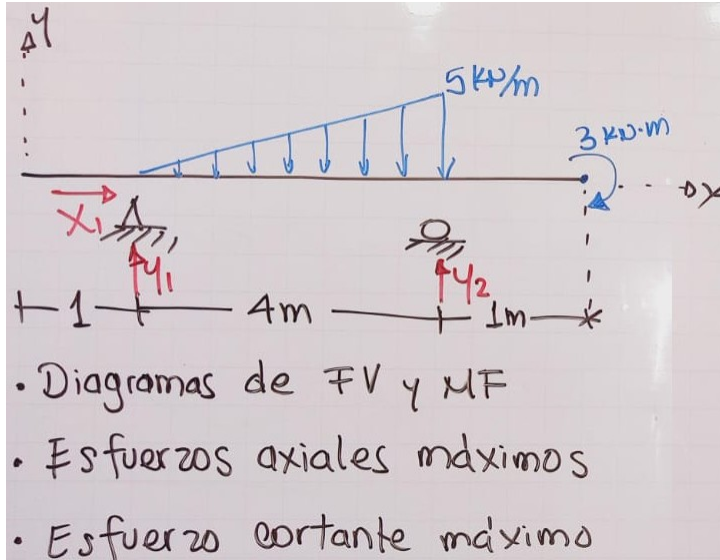




#1: [CaseMode := Sensitive, InputMode := Word]

#2: [Y1 :=, X1 :=, Y2 :=, $E = 1.7 \cdot 10^7$, Iz :=, Ycg :=]

#3: [FV1(x) := FV2(x) := FV3(x) :=
MF1(x) := MF2(x) := MF3(x) :=]

Cálculo de equilibrio:

#4:
$$\begin{bmatrix} X1 = 0 \\ Y1 + Y2 - \frac{5 \cdot 4}{2} = 0 \\ Y2 \cdot 4 - \frac{5 \cdot 4}{2} \cdot \frac{2}{3} \cdot 4 - 3 = 0 \end{bmatrix}$$

#5:
$$\left[X1 := 0, Y1 := \frac{31}{12}, Y2 := \frac{89}{12} \right]$$

#6: $[X1 = 0 \wedge Y1 = 2.583333333 \wedge Y2 = 7.416666666]$

Cálculo del centroide de la sección, usando subarea 1 la losa superior de 70*7 y subarea 2 el alma central de 14*23:

$$\#7: \left[\begin{array}{ll} A1 := 0.7 \cdot 0.07 & y_{cg1} := 0.23 + \frac{0.07}{2} \\ A2 := 0.14 \cdot 0.23 & y_{cg2} := \frac{0.23}{2} \\ A := A1 + A2 & Y_{cg} := \frac{A1 \cdot y_{cg1} + A2 \cdot y_{cg2}}{A} \end{array} \right]$$

$$\#8: \left[\begin{array}{ll} A1 := 0.049 & y_{cg1} := 0.265 \\ A2 := 0.0322 & y_{cg2} := 0.115 \\ A := 0.0812 & Y_{cg} := 0.2055172413 \end{array} \right]$$

$$\#9: \left[\begin{array}{ll} A1 := \frac{49}{1000} & y_{cg1} := \frac{53}{200} \\ A2 := \frac{161}{5000} & y_{cg2} := \frac{23}{200} \\ A := \frac{203}{2500} & Y_{cg} := \frac{149}{725} \end{array} \right]$$

Cálculo de la inercia centroidal:

$$\#10: \left[\begin{array}{ll} I1 := \frac{1}{12} \cdot 0.7 \cdot 0.07^3 & I2 := \frac{1}{12} \cdot 0.14 \cdot 0.23^3 \\ Iz1 := I1 + (y_{cg1} - Y_{cg})^2 \cdot A1 & Iz2 := I2 + (y_{cg2} - Y_{cg})^2 \cdot A2 \end{array} \right]$$

$$\#11: \left[\begin{array}{ll} I1 := 2.000833333 \cdot 10^{-5} & I2 := 0.0001419483333 \\ Iz1 := 0.0001933800634 & Iz2 := 0.0004057748791 \end{array} \right]$$

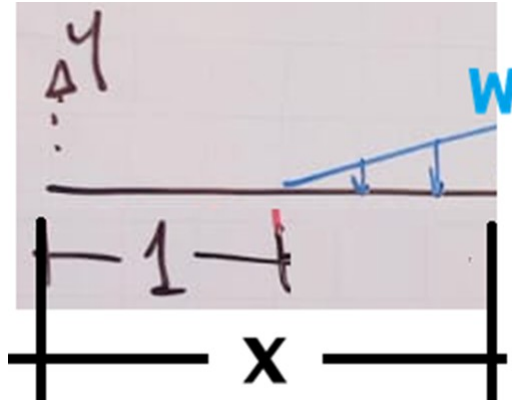
$$\#12: \left[\begin{array}{ll} I1 := \frac{2401}{120000000} & I2 := \frac{85169}{600000000} \\ Iz1 := \frac{4878979}{2523000000} & Iz2 := \frac{51188501}{12615000000} \end{array} \right]$$

$$\#13: I_z := Iz1 + Iz2$$

#14: $I_z := 0.0005991549425$

#15: $I_z := \frac{651581}{1087500000}$

Carga $w(x)$ en cualquier punto del tramo de 4m:



#16: $\frac{w}{x - 1} = \frac{5}{4}$

#17: $w := \frac{5 \cdot x}{4} - \frac{5}{4}$

#18: $w = 1.25 \cdot x - 1.25$

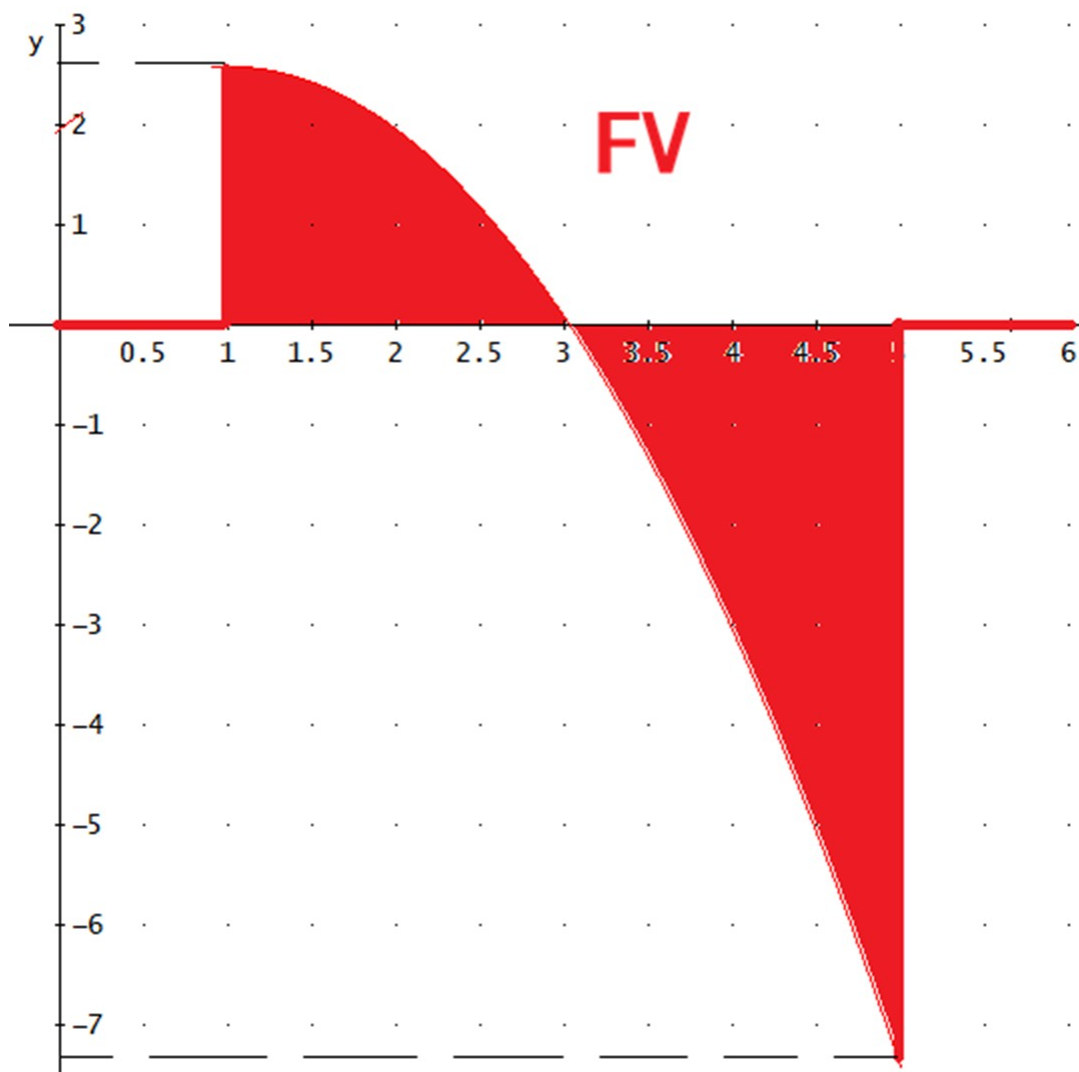
Diagrama de fuerza cortante:

#19:
$$\begin{bmatrix} FV1(x) := 0 \\ FV2(x) := Y1 - \frac{w \cdot (x - 1)}{2} \\ FV3(x) := Y1 - \frac{5 \cdot 4}{2} + Y2 \end{bmatrix}$$

#20:
$$\begin{bmatrix} FV1(x) := 0 \\ FV2(x) := -0.625 \cdot x^2 + 1.25 \cdot x + 1.958333333 \\ FV3(x) := 0 \end{bmatrix}$$

#21:

$$\left[\begin{array}{l} FV1(x) := 0 \\ FV2(x) := -\frac{5 \cdot x^2}{8} + \frac{5 \cdot x}{4} + \frac{47}{24} \\ FV3(x) := 0 \end{array} \right]$$



Cortante máximo se presenta en FV2(5)

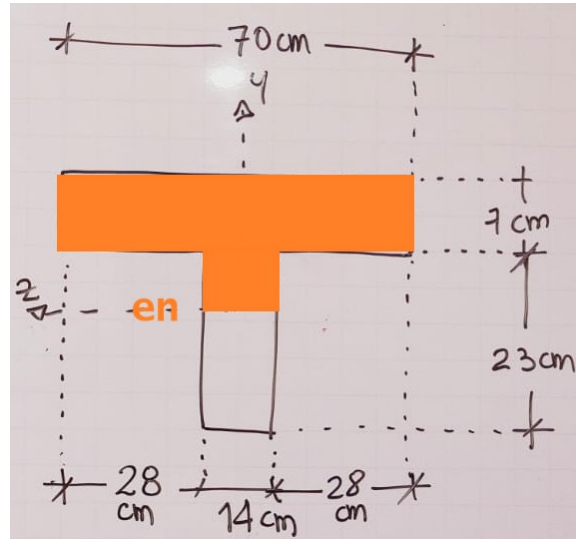
#22: $FV_{\max} := FV2(5)$

#23: $FV_{\max} := -7.416666666$

#24: $FV_{\max} := -\frac{89}{12}$

Esfuerzos cortantes en el punto de fuerza cortante máxima:

Eje neutro:



#25:

$$Yen := \frac{A1 \cdot \left(0.3 - Ycg - \frac{0.07}{2} \right) + 0.14 \cdot (0.23 - Ycg) \cdot \frac{1}{2} \cdot (0.23 - Ycg)}{A1 + 0.14 \cdot (0.23 - Ycg)}$$

$$Qen := (A1 + 0.14 \cdot (0.23 - Ycg)) \cdot Yen$$

$$\tau en := - \frac{FVmax \cdot Qen}{Iz \cdot 0.14}$$

#26:

$$Yen := \frac{A1 \cdot 0.05948275862 + 0.14 \cdot 0.02448275862 \cdot \frac{1}{2} \cdot 0.02448275862}{A1 + 0.14 \cdot 0.02448275862}$$

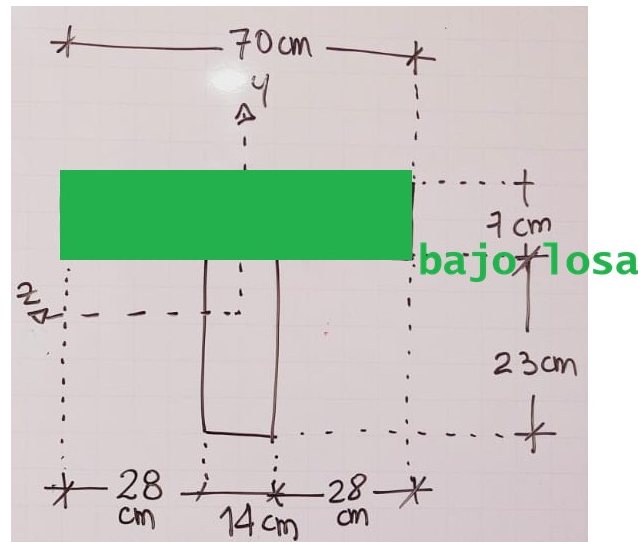
$$Qen := 0.0524275862 \cdot 0.05639423382$$

$$\tau en := - \frac{FVmax \cdot 0.002763317457}{Iz \cdot 0.14}$$

#27:

$$\begin{bmatrix} Yen := 0.05639423382 \\ Qen := 0.002956613555 \\ \tau en := 261.418394 \end{bmatrix}$$

Bajo la losa:



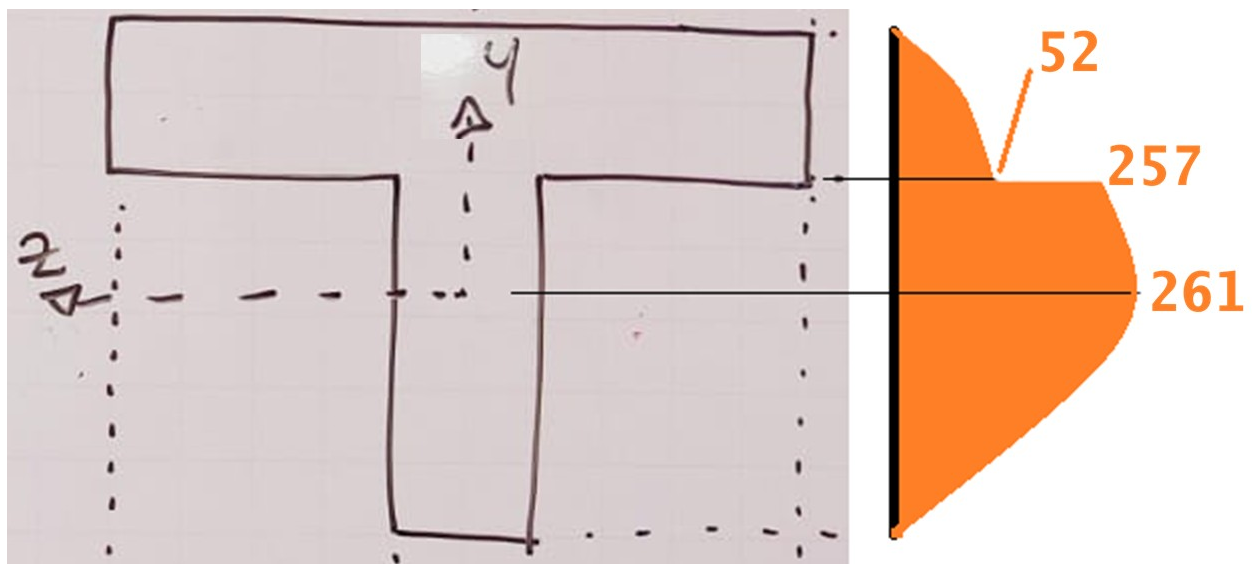
#28:

$$\left[\begin{array}{ll} Y_{b1} := 0.23 - Y_{cg} + \frac{0.07}{2} & Q_{b1} := A1 \cdot Y_{b1} \\ \tau_{b11} := - \frac{FV_{max} \cdot Q_{b1}}{I_z \cdot 0.7} & \tau_{b12} := - \frac{FV_{max} \cdot Q_{b1}}{I_z \cdot 0.14} \end{array} \right]$$

#29:

$$\left[\begin{array}{ll} Y_{b1} := 0.05948275862 & Q_{b1} := 0.002914655172 \\ \tau_{b11} := 51.54170202 & \tau_{b12} := 257.7085101 \end{array} \right]$$

Gráfico de esfuerzo cortante en la sección con mayor fuerza cortante:



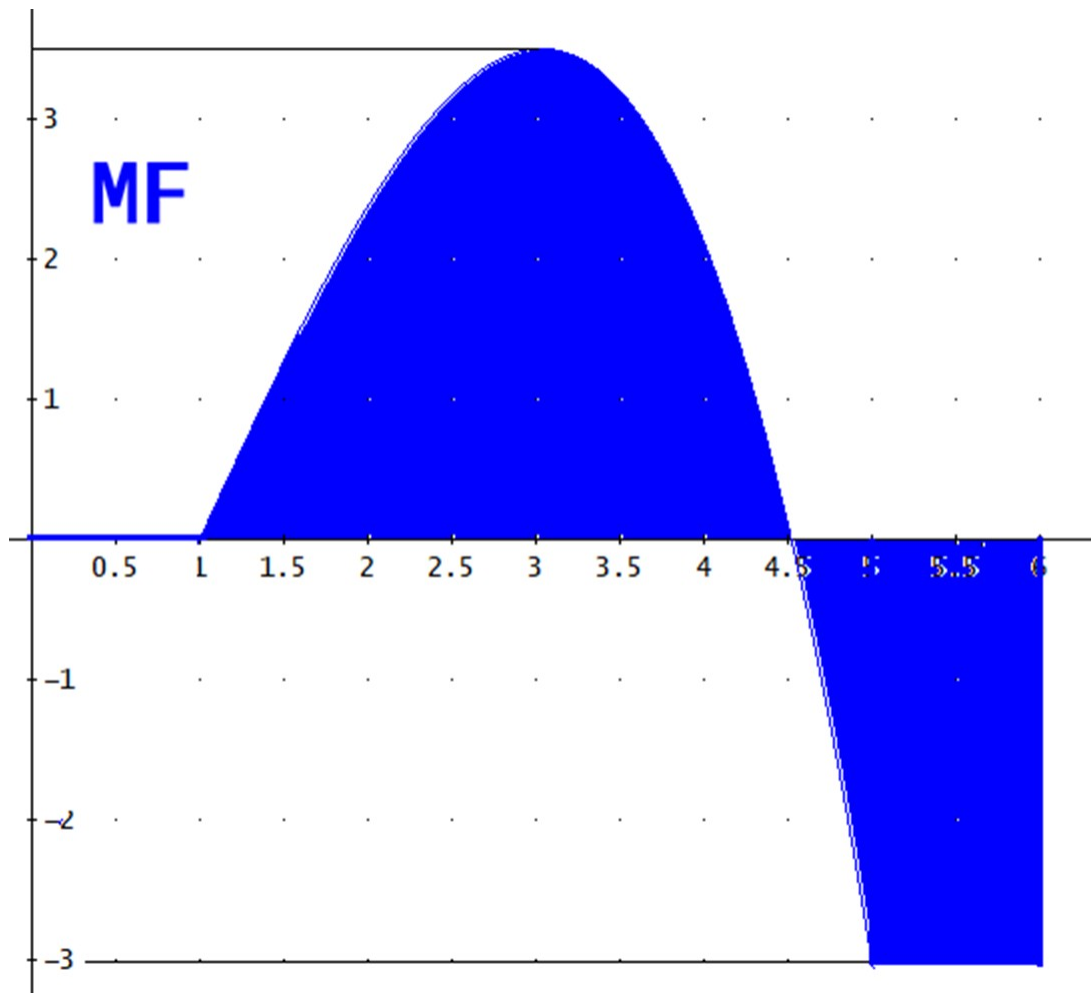
Esfuerzo cortante máximo de 261 KPa

Diagrama de momento flector:

$$\#30: \left[\begin{array}{l} \text{MF1}(x) := 0 \\ \text{MF2}(x) := Y1 \cdot (x - 1) - \frac{w \cdot (x - 1)}{2} \cdot \left(\frac{1}{3} \cdot (x - 1) \right) \\ \text{MF3}(x) := Y1 \cdot (x - 1) - \frac{5 \cdot 4}{2} \cdot \left(x - 1 - \frac{2}{3} \cdot 4 \right) + Y2 \cdot (x - 5) \end{array} \right]$$

$$\#31: \left[\begin{array}{l} \text{MF1}(x) := 0 \\ \text{MF2}(x) := - \frac{5 \cdot x^3}{24} + \frac{5 \cdot x^2}{8} + \frac{47 \cdot x}{24} - \frac{19}{8} \\ \text{MF3}(x) := -3 \end{array} \right]$$

$$\#32: \left[\begin{array}{l} \text{MF1}(x) := 0 \\ \text{MF2}(x) := - 0.2083333333 \cdot x^3 + 0.625 \cdot x^2 + 1.958333333 \cdot x - 2.375 \\ \text{MF3}(x) := -3 \end{array} \right]$$



El momento flector positivo máximo de 3.5KN.m ocurre en $FV2(x)=0$, osea en 3.03m, y momento flector negativo máximo de 3 KN.m en $x=5m$

#33: $FV2(x) = 0$

#34:
$$-\frac{5 \cdot x^2}{8} + \frac{5 \cdot x}{4} + \frac{47}{24} = 0$$

#35: $x = -1.03306009 \vee x = 3.03306009$

#36: $MF2(3.03306009)$

#37: 3.501381267

Esfuerzos axiales en los puntos de momentos máximos:

$$\#38: \left[\begin{array}{l} \sigma_{1Arriba} = - \frac{MF2(3.03306009) \cdot (0.3 - Y_{cg})}{I_z} \quad \sigma_{1Abajo} = - \frac{MF2(3.03306009) \cdot (-Y_{cg})}{I_z} \\ \sigma_{2Arriba} = - \frac{(-3) \cdot (0.3 - Y_{cg})}{I_z} \quad \sigma_{1Abajo} = - \frac{(-3) \cdot (-Y_{cg})}{I_z} \end{array} \right]$$

$$\#39: \left[\begin{array}{l} \sigma_{1Arriba} = -552.1445917 \quad \sigma_{1Abajo} = 1201.015243 \\ \sigma_{2Arriba} = 473.0800928 \quad \sigma_{1Abajo} = -1029.03553 \end{array} \right]$$

Los esfuerzos axiales máximos ocurren en las fibras inferiores. El esfuerzo axial a compresión máximo de 1 029KPa ocurre en x=5m hasta 6m y el esfuerzo axial a tracción máximo de 1209KPa ocurre en x=3.03m.